

Probabilistic Safety Analysis for Small Wind Turbines

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Content

- What is a Probabilistic Safety Analysis (PSA)?
- Aim of research

- Identification of risks and hazards
- Event Tree calculations
- Other factors of influence



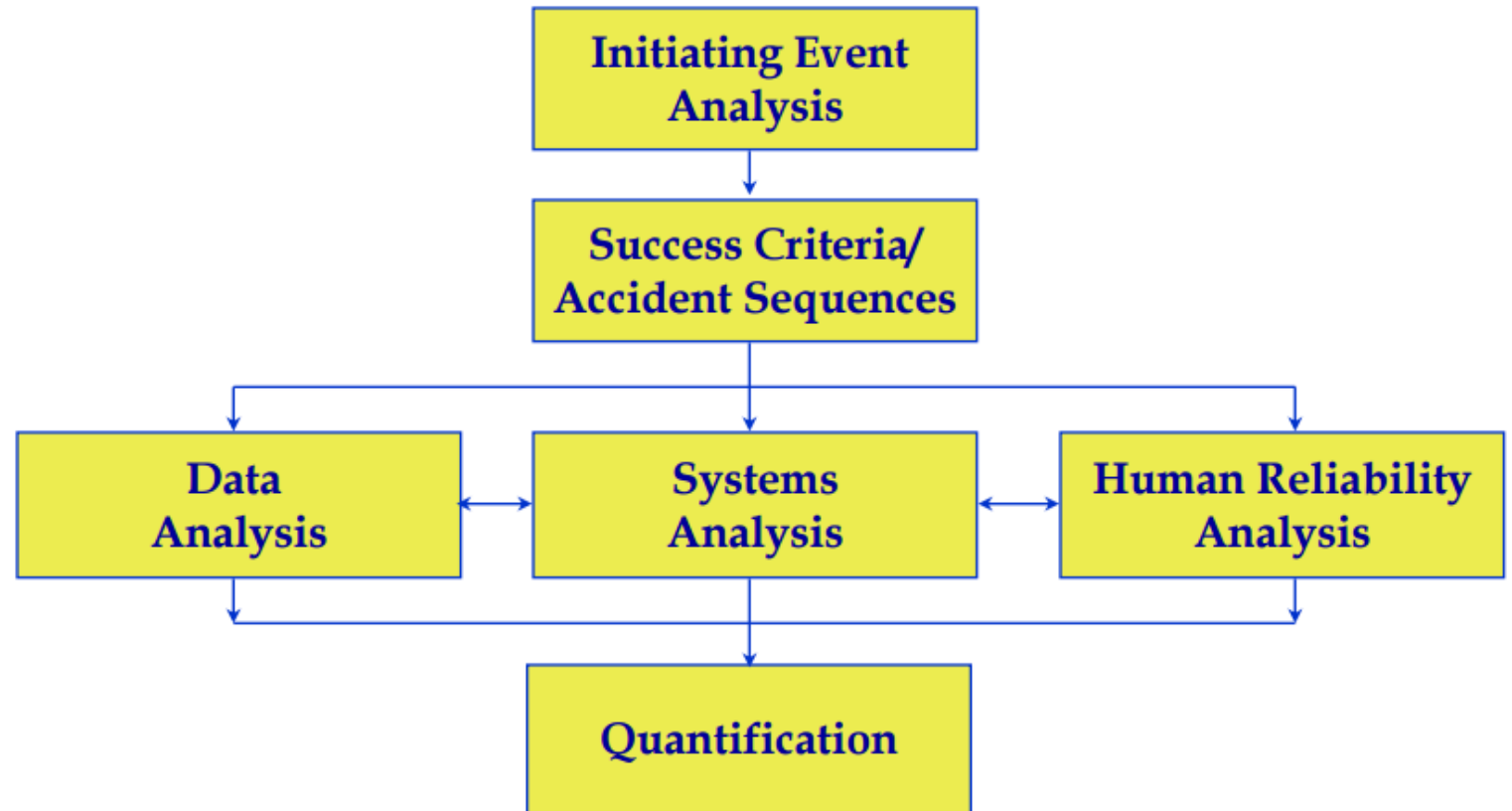
Solvento, 2016

Probabilistic Safety Analysis (PSA)

PSA gives answers to:

- What can happen?
- What are the probabilities of the scenarios?
- What are the consequences?

- Risk frequencies will never include all influencing factors
- Identifying weak points and shaping possibilities



Aim of Research

- What are potential failures of SWTs, which may physically harm people in urban areas?
- How could the risks of these failures be calculated?

To get insights into...

- Accident Sequences: From hazards to risks
- Probabilities: For initiating events and the different risks
- Identification: Opportunities to reduce the risks

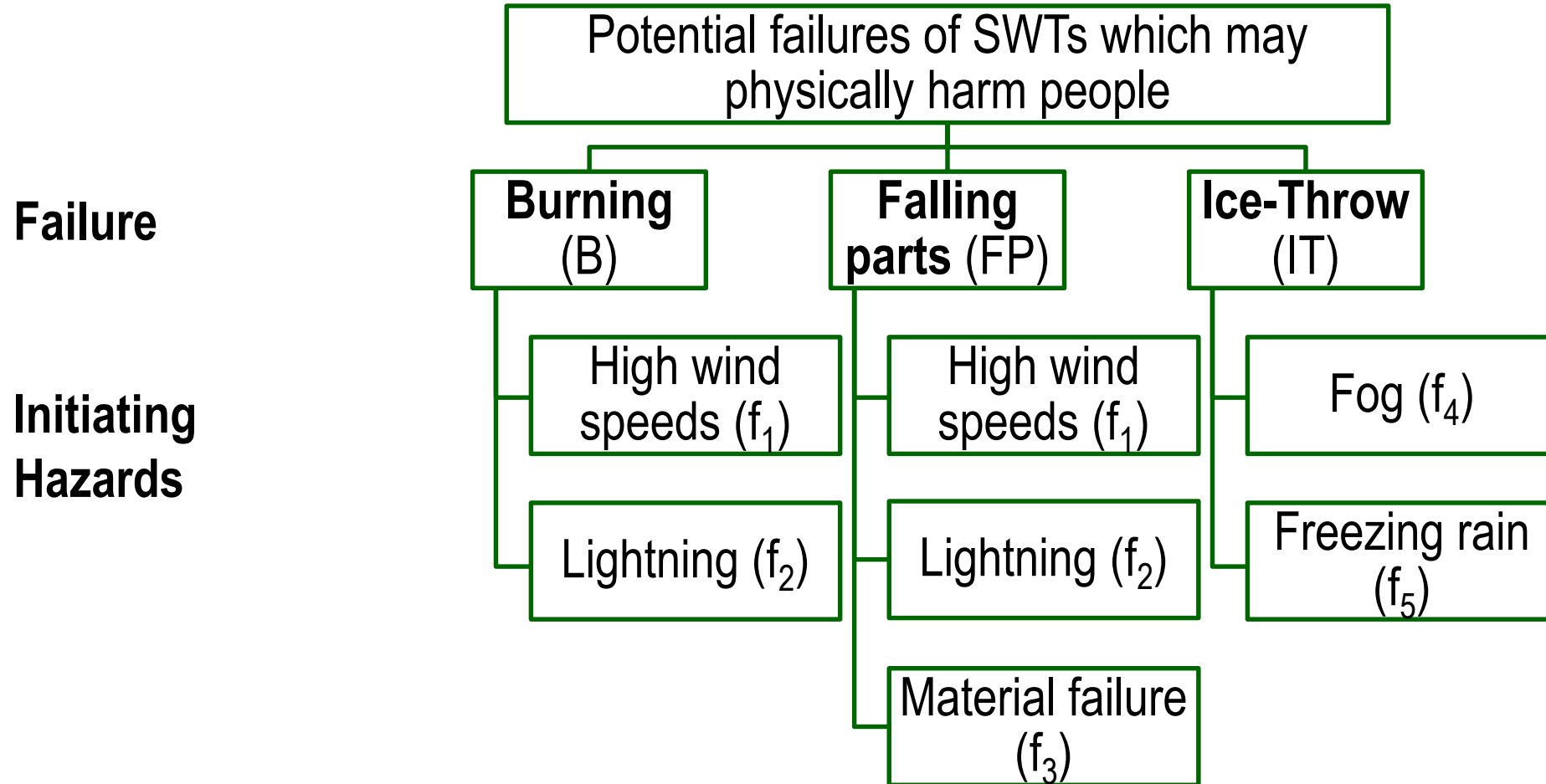
Databasis

- **Data of 5 years and 15 turbines tested in Lichtenegg**
- 2 years of data collection of self-made turbines in Peru by Jon Sumanik-Leary
- Dialog with experts



Sumanik-Leary, 2013 and Solvento, 2016

Identifying Risks and Hazards



Frequencies of Unwanted Failures (h_i)

$$= \sum [\text{frequencies of the initiating hazards } (f_i) \\ \times \text{probabilities of failure of the protection systems } (P_i)]$$

- Frequency of Burning (B_i)

$$h_B = f_1 \cdot P(B1) + f_2 \cdot P(B2)$$

- Frequency of Falling Parts (FP_i)

$$h_{FP} = f_1 \cdot P(FP1) + f_2 \cdot P(FP2) + f_3 \cdot P(FP3) \cdot F1 \cdots Fn$$

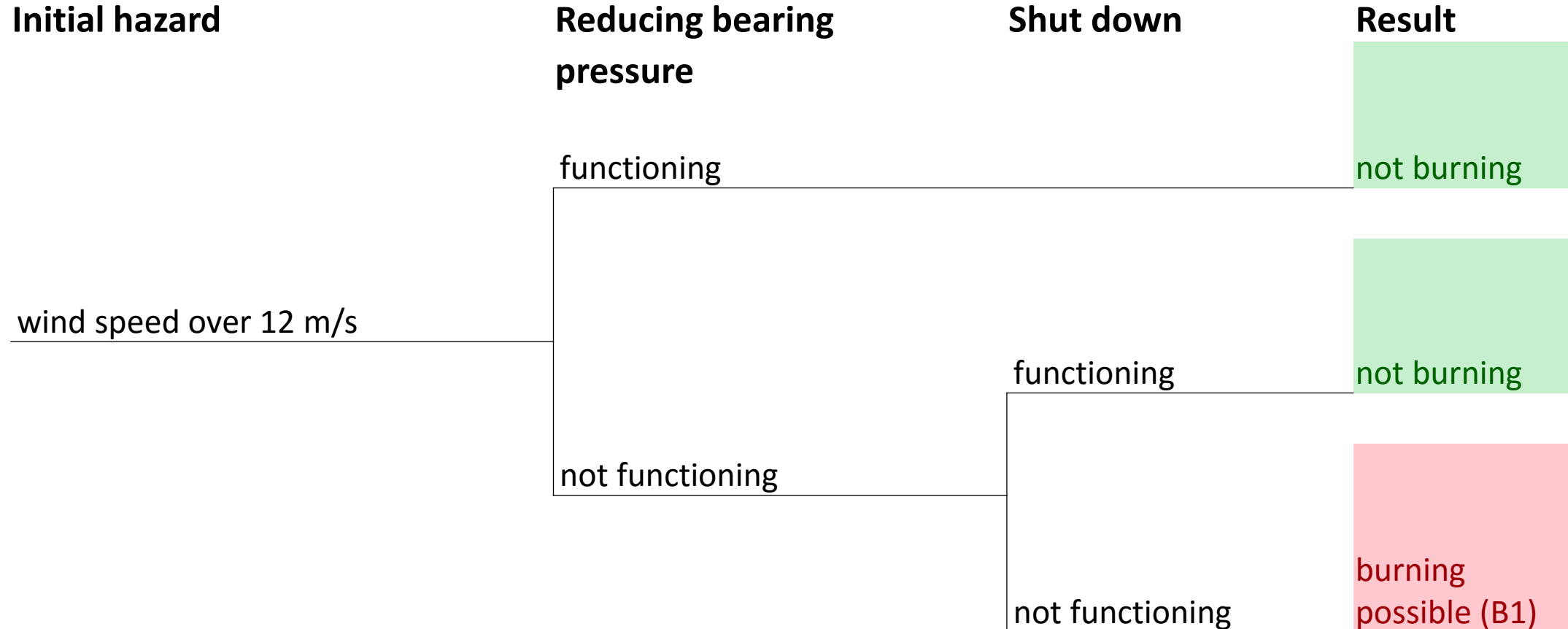
- Frequency of Ice-Throw (IT_i)

$$h_{IT} = f_4 \cdot P(IT4) + f_5 \cdot P(IT5)$$

F_i = influencing factors

Probabilistic Risk Calculation

Event Tree (example B1)



Test of Independence

Problem: Different installations and turbines have different probabilities of material failure

- Which criteria are influencing the material fault-frequencies?
- Test of independence: Chi² or Fisher's exact test

$$h(\text{material fault}) = f_3 \cdot P(FP3) \cdot F1 \cdots Fn$$

$$F = \frac{\text{faults observed}}{\text{faults expected}}$$

Testing Criteria (F_n)

Criteria tested:

- Vertical or horizontal axis
- Certification
- Nominal capacity

Criteria to test:

(with more data available)

- Vibration isolator
- Tower originally belonging to turbine
- Installed by manufactures

Example of test of independence

- Is certification having an influence on fault frequencies?

Criteria: Certification		Experiences (Full load hours)	Observed faults	Expected faults
1	Yes	172138	2	3,2
2	No	202618	5	3,8
	Total	374756	7	7

- P-value of Fisher's Exact Test for Count Data = 0.3397
- Certification does not have a significant influence on fault frequency
- No influencing factor ($F_{\text{certification}}$) added

Outlook

- Determine the frequencies of the initial hazards ($f_1 \dots f_5$)
 - Develop Event Trees for three different turbines
 - Identify criteria influencing material faults
- Calculate the risks for the failures *burning*, *falling parts* and *ice throw* for three different turbines under the topographic conditions of Lichtenegg
- Detect weak points and shaping possibilities



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